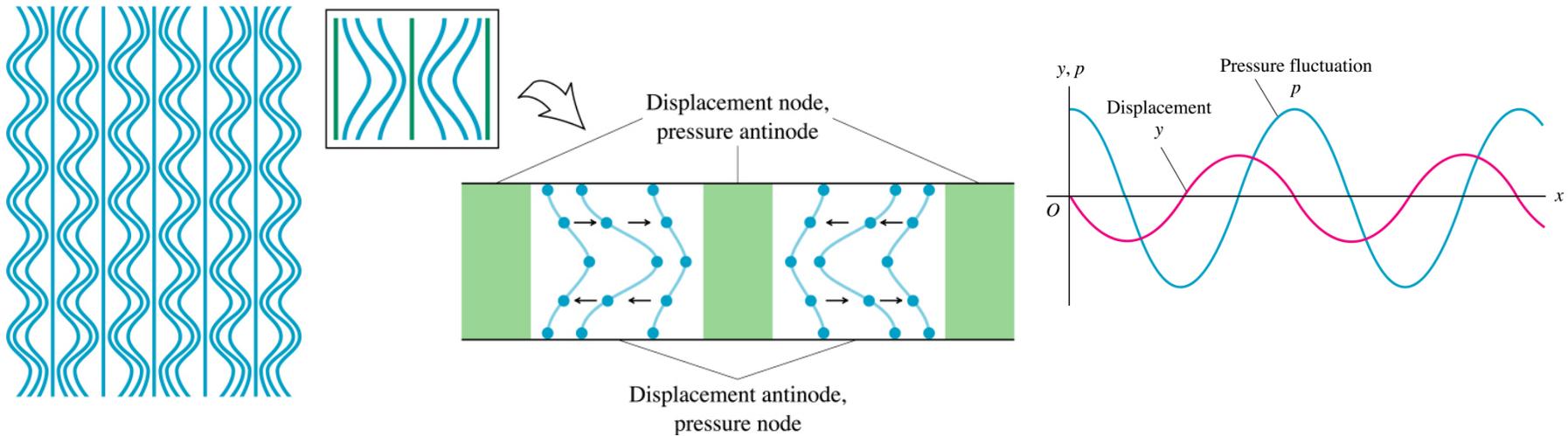


16-4. Standing Sound Waves



Displacement	node:	where particles have zero displacement
	antinode:	max
Pressure	node:	where pressure change is zero
	antinode:	max

Displacement node = Pressure antinode

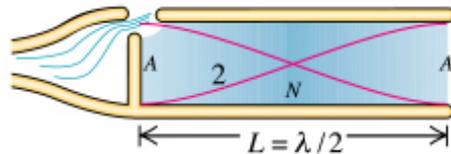
Displacement antinode = Pressure node

Open end:

always a pressure node (or a displacement antinode),
since there is no pressure change

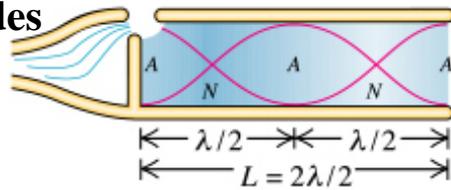
Open & Closed Pipes

Open pipe

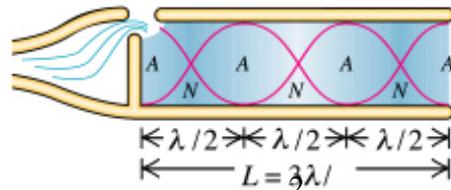


$$(a) f_1 = \frac{v}{2L}$$

Both ends are
Pressure nodes – no pressure difference
Displacement antinodes

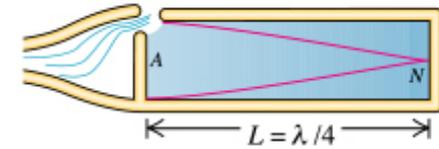


$$(b) f_2 = 2 \frac{v}{2L} = 2f_1$$



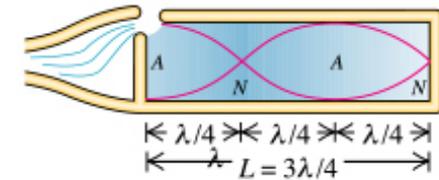
$$(c) f_3 = 3 \frac{v}{2L} = 3f_1$$

Closed pipe



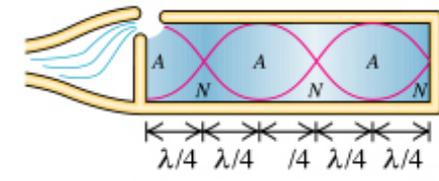
$$(a) f_1 = \frac{v}{4L}$$

Open end: displacement antinodes



$$(b) f_3 = 3 \frac{v}{4L} = 3f_1$$

Closed end: displacement node



$$(c) f_5 = 5 \frac{v}{4L} = 5f_1$$

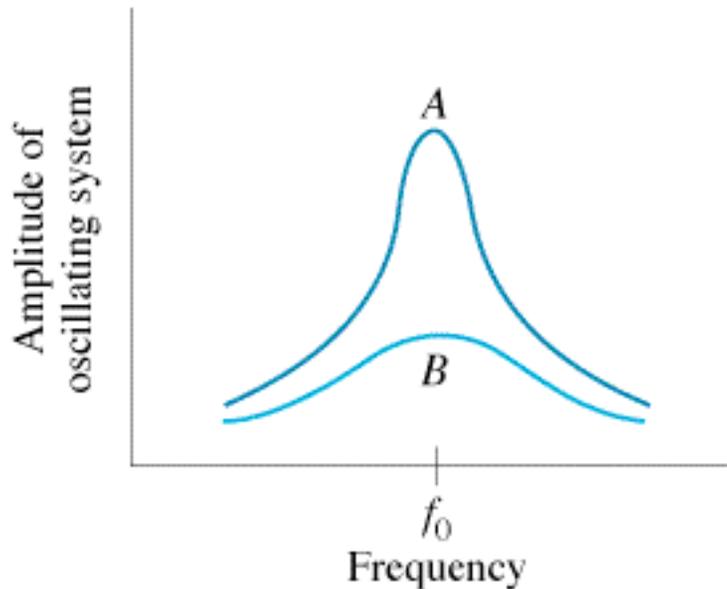
$$f_n = \frac{nv}{2L} = nf_1 \quad n=1,2,3,4\dots$$

$$f_n = \frac{nv}{4L} = nf_1 \quad n=1,3,5\dots$$

16-5. Resonance

Recall simple harmonic oscillator

Natural frequency



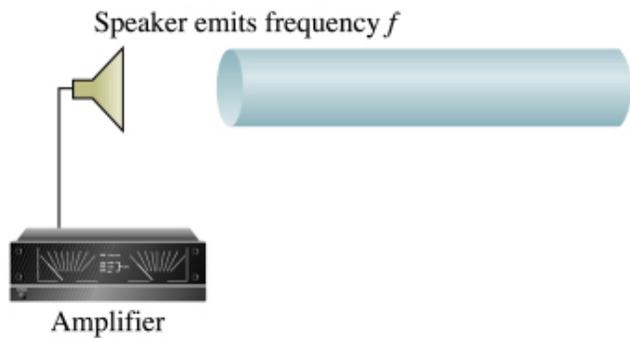
$$f_0 = \frac{1}{2\pi} \sqrt{\frac{k}{m}}$$

Intrinsic

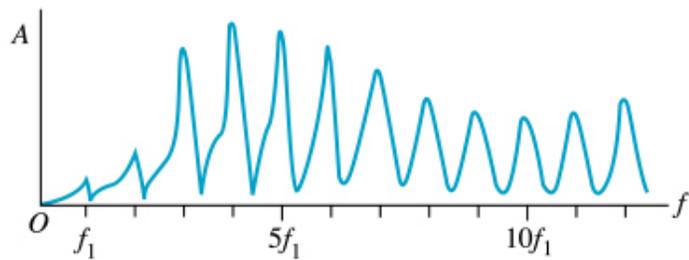
Resonance:

Very large increase in oscillation amplitude when $f=f_0$

Resonance



(a)

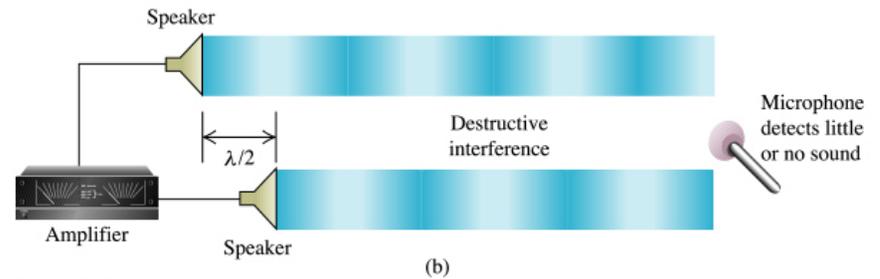
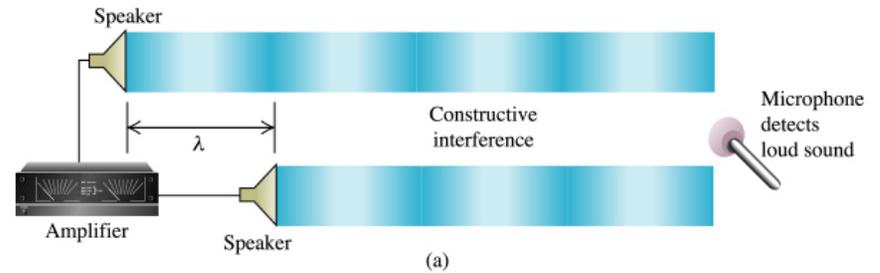
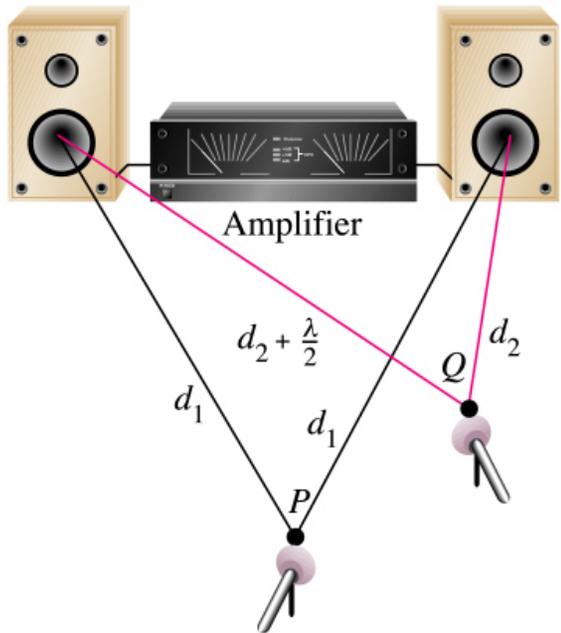


(b)

When the driving frequency equals a normal mode frequency of the system, energy will be added into the system and increase the oscillation amplitude.



16-6. Interference of Waves



Path difference

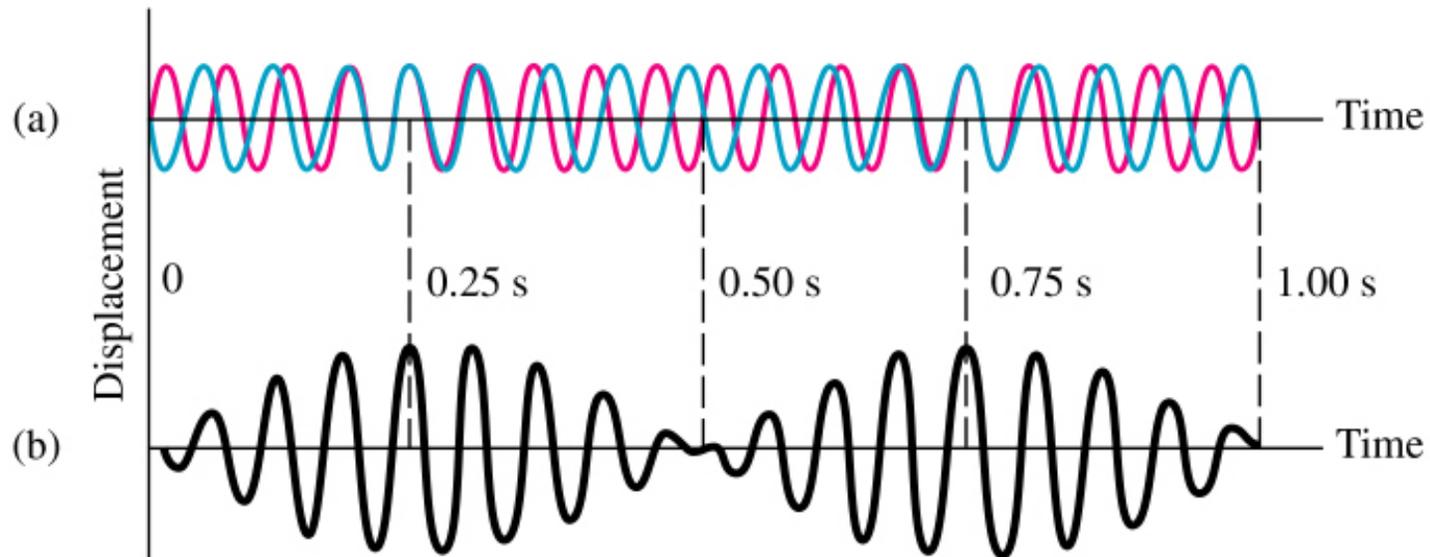
$\lambda/2, 3\lambda/2, 5\lambda/2 \dots$

$0, \lambda, 2\lambda, 3\lambda \dots$

Destructive interference

Constructive interference

16-7. Beats



Beats: Periodic amplitude variations caused by two waves with slightly different frequencies.

$$\text{Beat frequency: } f_{\text{beat}} = |f_a - f_b|$$