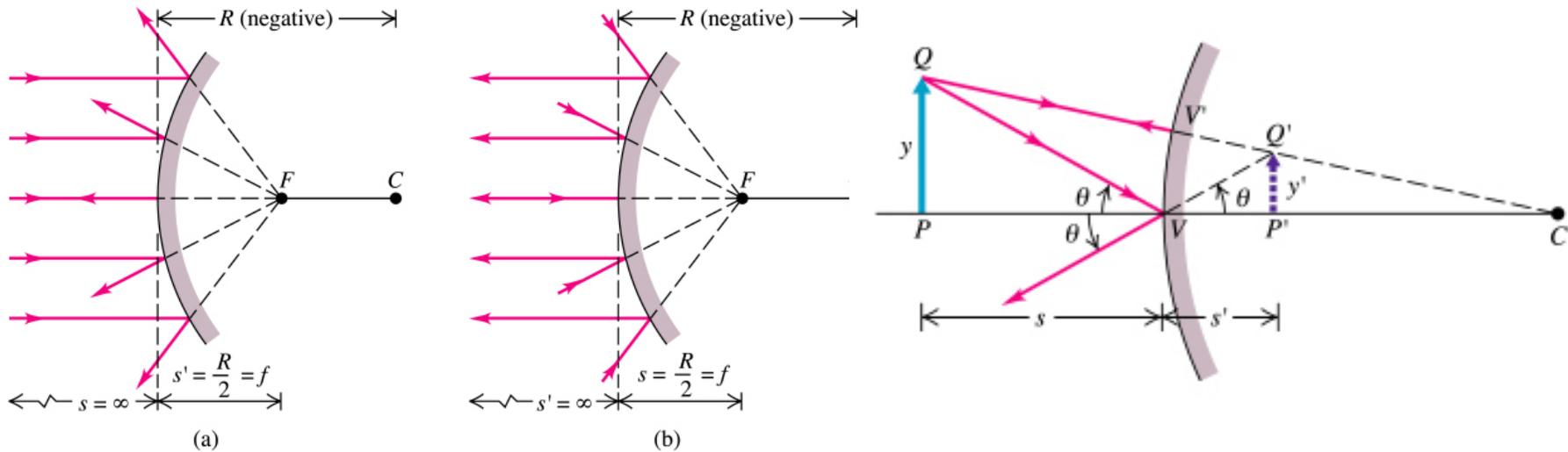


# Convex Mirrors



Mirror equation still holds, but:

*$f$  &  $R$  now negative*

*Virtual image, always upright*

## Summary: Signs

Object height  $y$ :            +            ↑

Image height  $y'$ :            + upright    ↑    - inverted    ↓

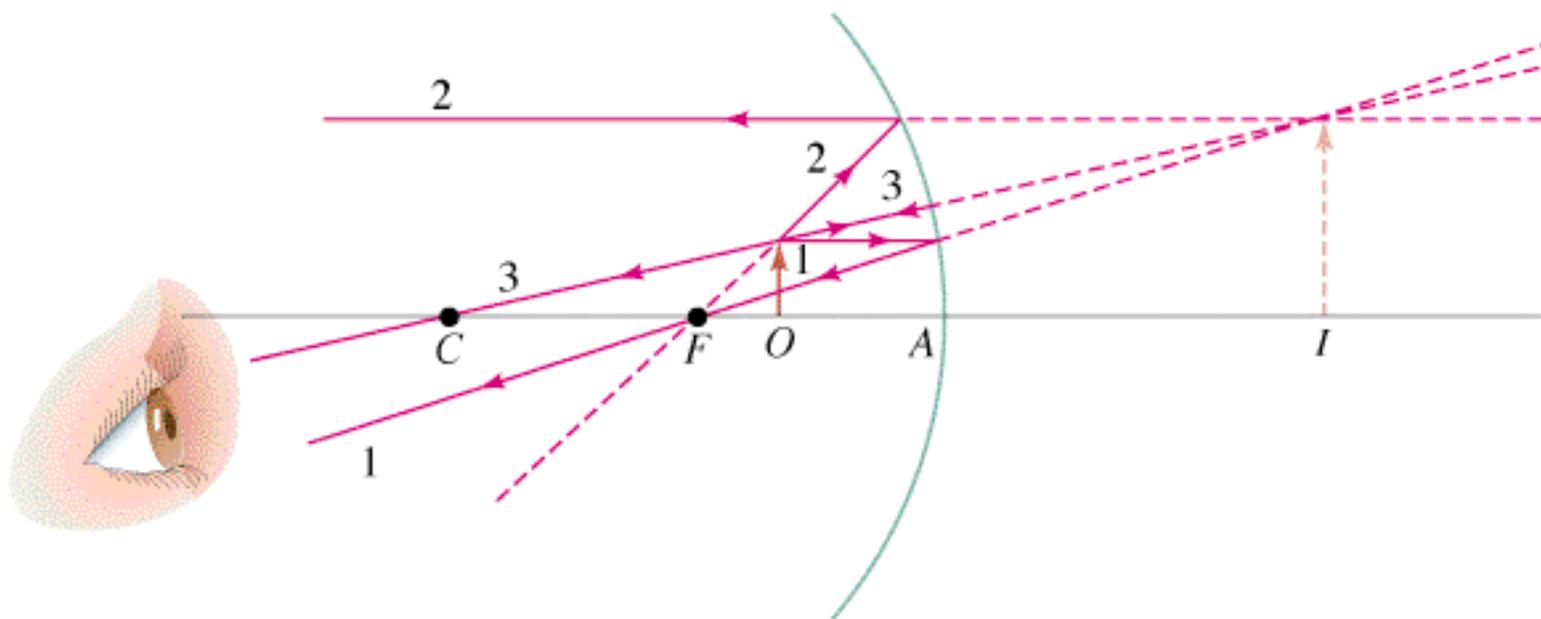
Object distance  $s$  & Image distance  $s'$   
+ on the reflecting side  
- behind the reflecting side

Concave mirror:  $R$  &  $f$             +  
Convex mirror:  $R$  &  $f$             -

Magnification  $m = y'/y = -s'/s$

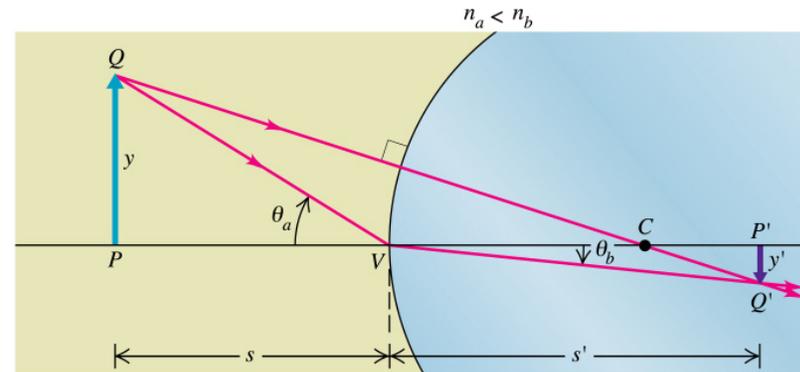
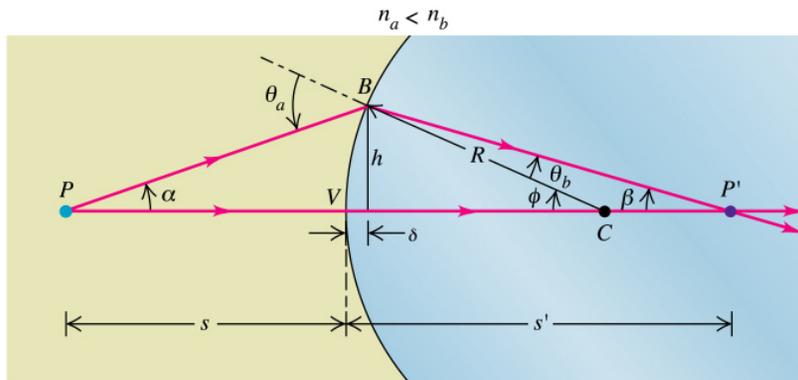
$|m| > 1$ , magnified;  $|m| < 1$  shrunk  
 $m$ : + upright; - inverted

## Example



Always draw a ray diagram with 2 or 3 easy-to-draw rays  
Keep track of signs in mirror equation  
Compare & see if make sense

## 34-3. Refraction at a Spherical Surface



$$\frac{n_a}{s} + \frac{n_b}{s'} = \frac{n_b - n_a}{R}$$

$$m = \frac{y'}{y} = -\frac{n_a s'}{n_b s}$$

For plane surface,  $R = \infty$

$$\frac{n_a}{s} + \frac{n_b}{s'} = 0$$

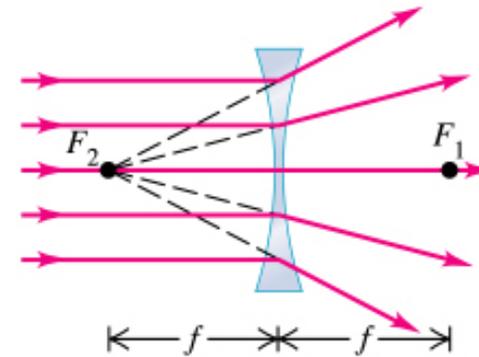
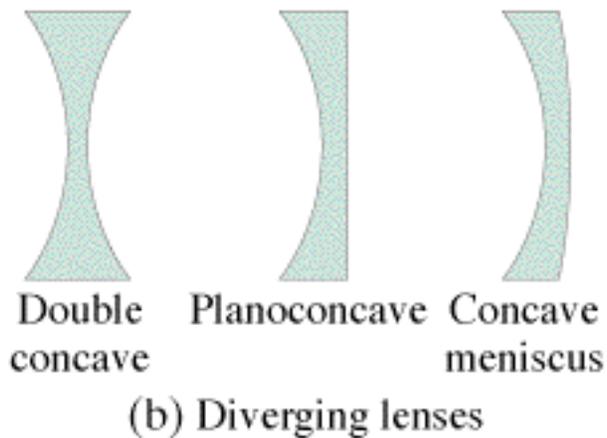
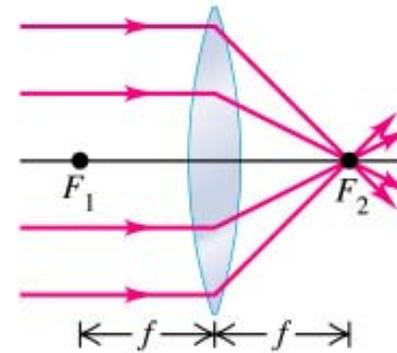
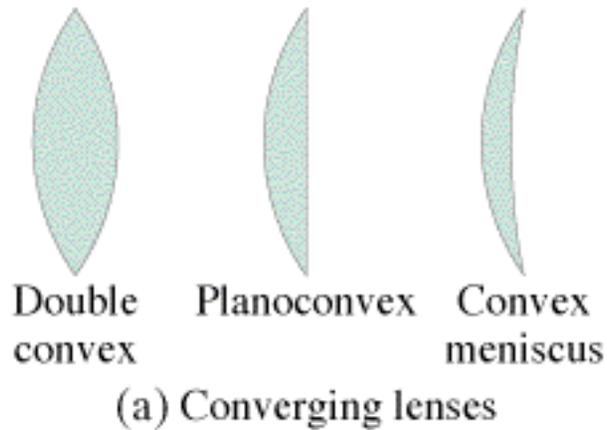
$$m = 1$$

$s > 0$ : when object is on the incoming side of the surface (real object)

$s' > 0$ : when image is on the outgoing side of the surface (real image)

$R > 0$ : when center of curvature C is on the outgoing side of the surface

## 34-4. Thin Lenses

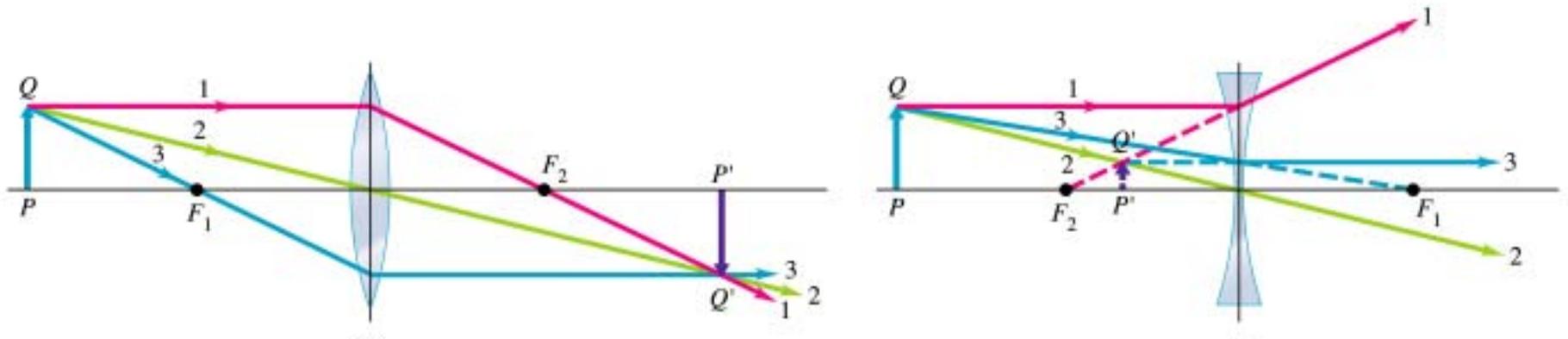


*f* same on both side

+ for converging lenses

- for diverging lenses

# Ray Diagram for Thin Lenses

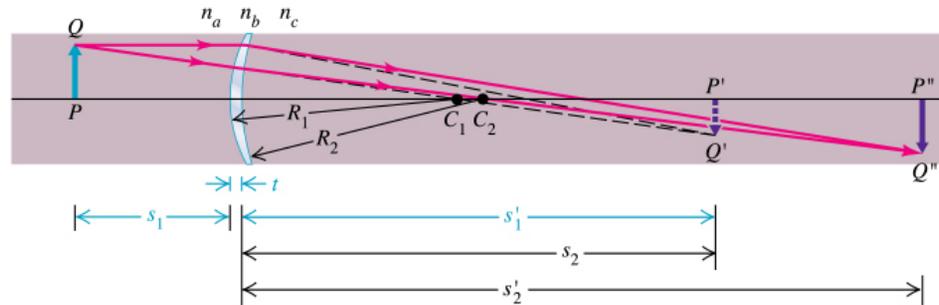


Ray 1 goes out from Q parallel to the axis & passes through  $F_2$ .

Ray 2 goes through the center of the lens unaffected

Ray 3 goes through  $F_1$  and refracts parallel to the axis.

# Lensmaker's Equation

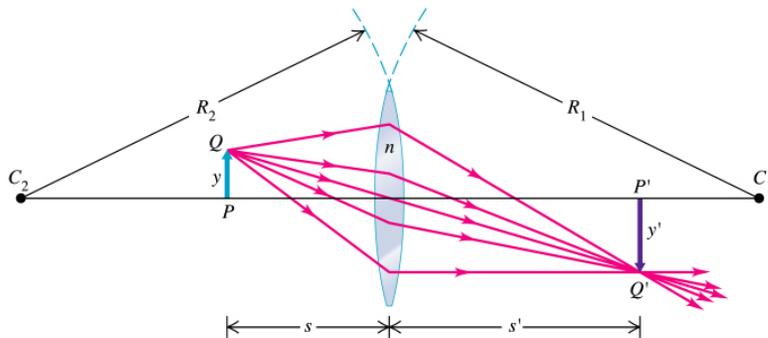


Object-image relation

$$\frac{1}{s} + \frac{1}{s'} = \frac{1}{f} \quad m = \frac{y'}{y} = -\frac{s'}{s}$$

Lensmaker's equation

$$\frac{1}{f} = (n - 1) \left( \frac{1}{R_1} - \frac{1}{R_2} \right)$$



Example:  $n=1.52$

Double convex, radius is 20cm,  $f$ ?

Double concave?

# Ch 34-5 - 7. Optical Instruments

Please read text on your own.