

Ch 20. The Second Law of Thermodynamics

20-1. Directions of Thermodynamic Processes

Reversible vs. Irreversible processes

Equilibrium vs. non-equilibrium processes

Converting heat into mechanical energy: how efficient?

Please read text on your own.

20-2. Heat Engine

Converts heat partly into work or mechanical energy

Goes through a cyclic process, thus $\Delta U=0$

$$W = Q = Q_H + Q_C = |Q_H| - |Q_C|$$

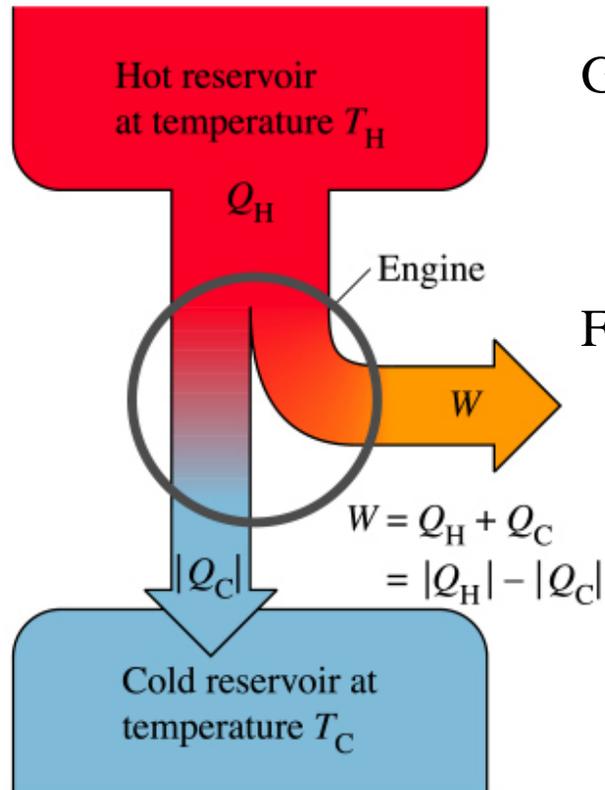
For the heat engine

$$Q_H \quad +; \quad Q_C \quad -$$

Thermal Efficiency (x100%)

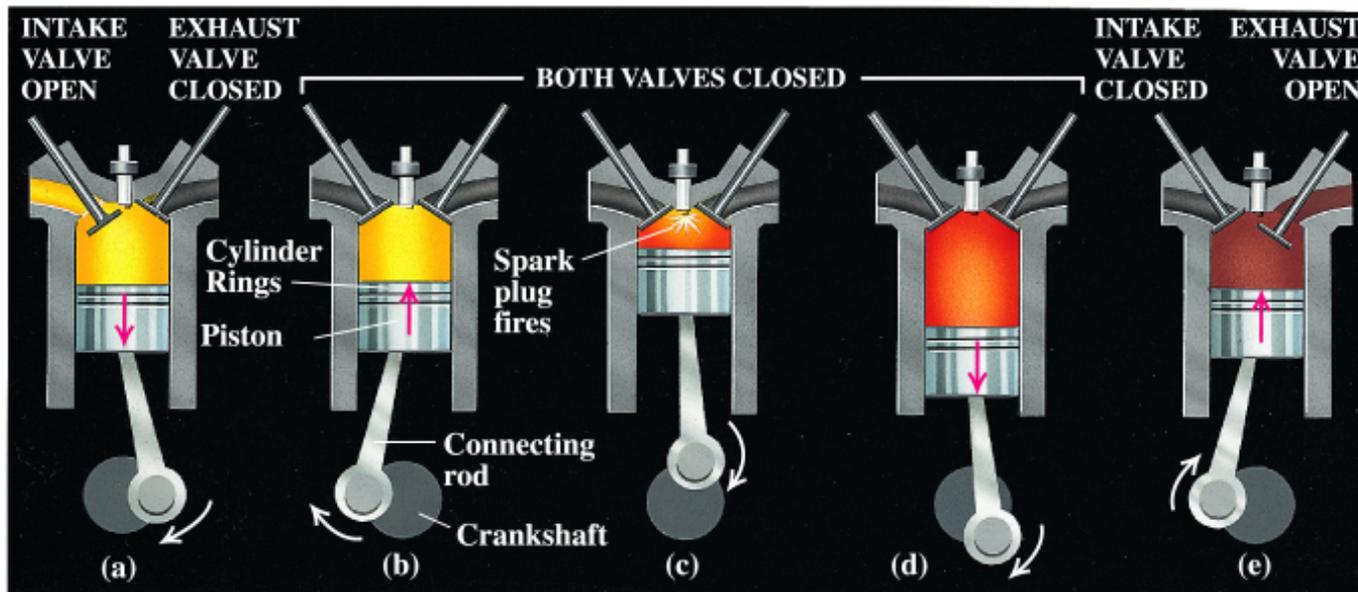
$$\begin{aligned} e &= W/Q_H \\ &= (|Q_H| - |Q_C|)/Q_H \\ &= 1 - |Q_C/Q_H| \end{aligned}$$

$$e < 1$$



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20-3. Internal Combustion Engines

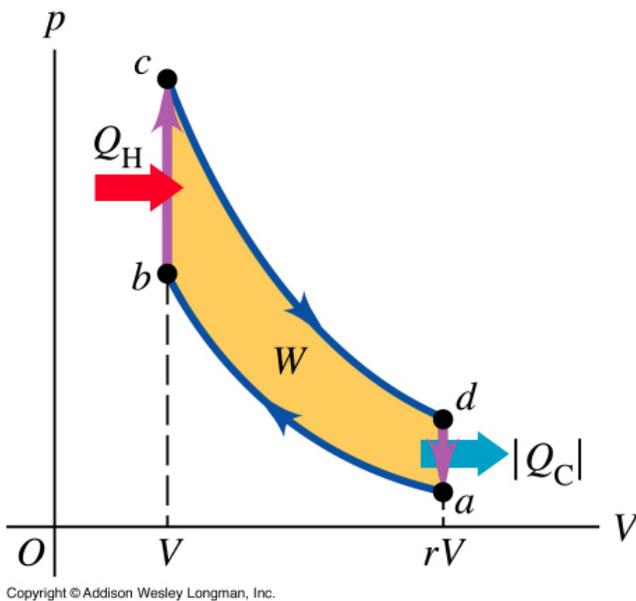


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Minimum volume	V
Maximum volume	rV
Compression ratio	r (typically 8-10)

Otto Cycle

Two adiabatic + two isochoric processes



$$Q_H = nC_V(T_c - T_b) > 0$$

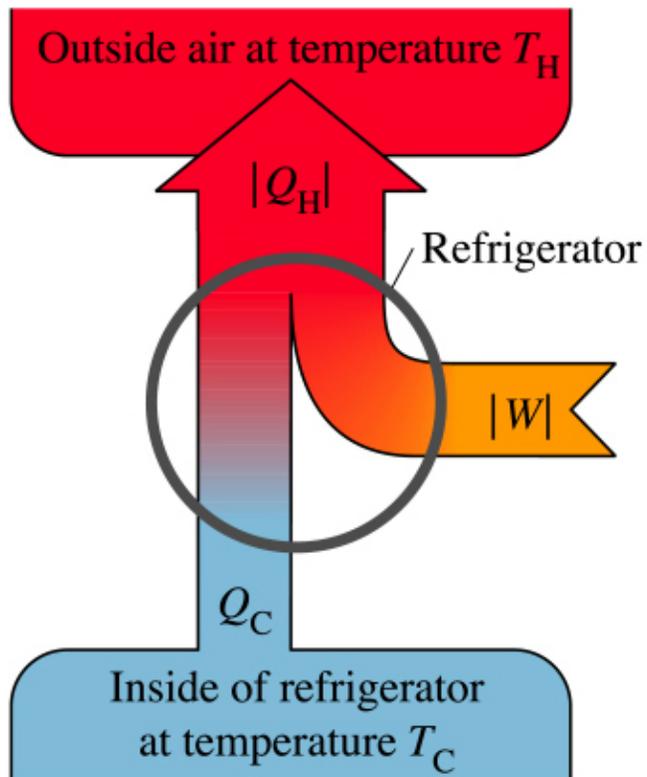
$$Q_C = nC_V(T_a - T_d) < 0$$

$$e = \frac{Q_H + Q_C}{Q_H} = \frac{T_c - T_b + T_a - T_d}{T_c - T_b}$$

$$e = 1 - \frac{1}{r^{\gamma-1}}$$

Read about Diesel cycle on your own.

20-4. Refrigerators



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Here:

$$W < 0; \quad Q_H < 0; \quad Q_C > 0$$

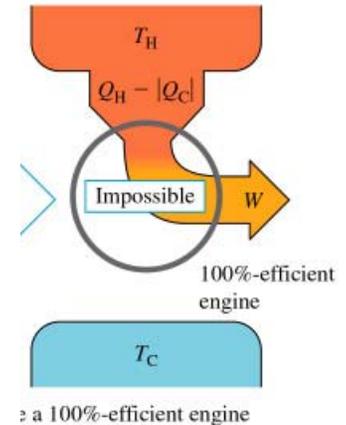
Coefficient of performance

$$K = \frac{|Q_C|}{|W|} = \frac{|Q_C|}{|Q_H| - |Q_C|}$$

20-5. Second Law of Thermodynamics

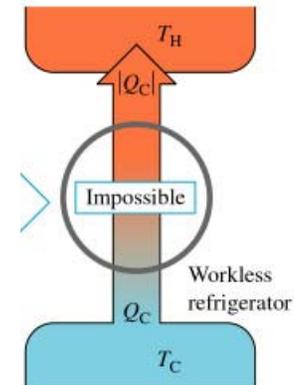
“Engine Statement”:

It is impossible for any system to undergo a process in which it absorbs heat from a reservoir at a single temperature and converts the heat completely into mechanical work, with the system ending in the same state in which it begins.



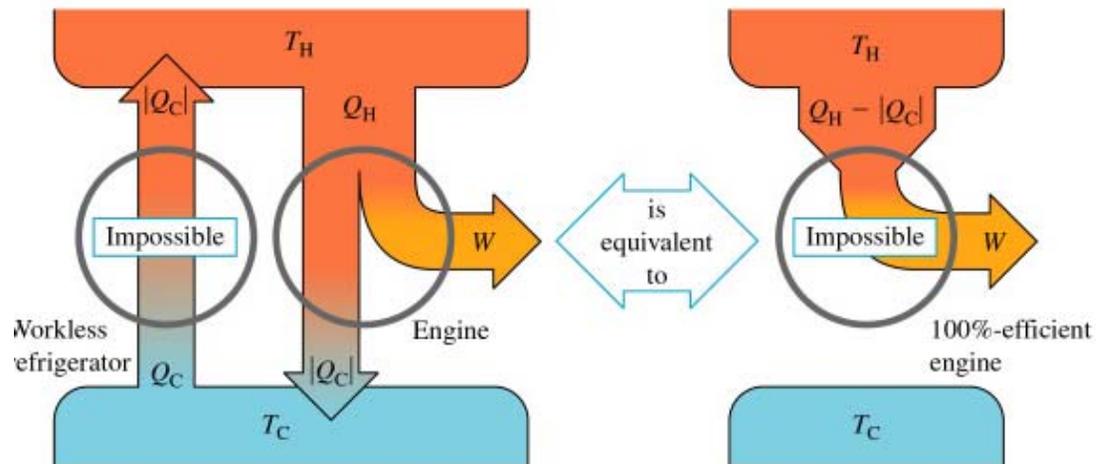
“Refrigerator Statement”:

It is impossible for any process to have as its sole results the transfer of heat from a cooler to a hotter body

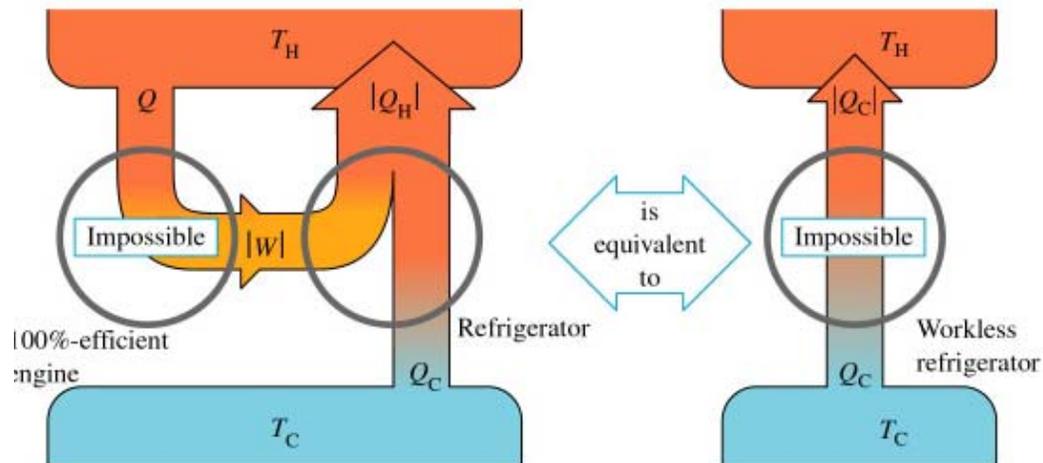


No device can transfer a given amount of heat completely into work.

Equivalent Statements



(a) If a workless refrigerator existed, it could be used to make a 100%-efficient engine



20-6. Carnot Cycle

Ideal engine with maximum efficiency that is still consistent with the 2nd law of thermodynamics

Rationale: maximum reversible processes
2 isothermal + 2 adiabatic processes

Carnot engine

$$Q_H \sim T_H$$

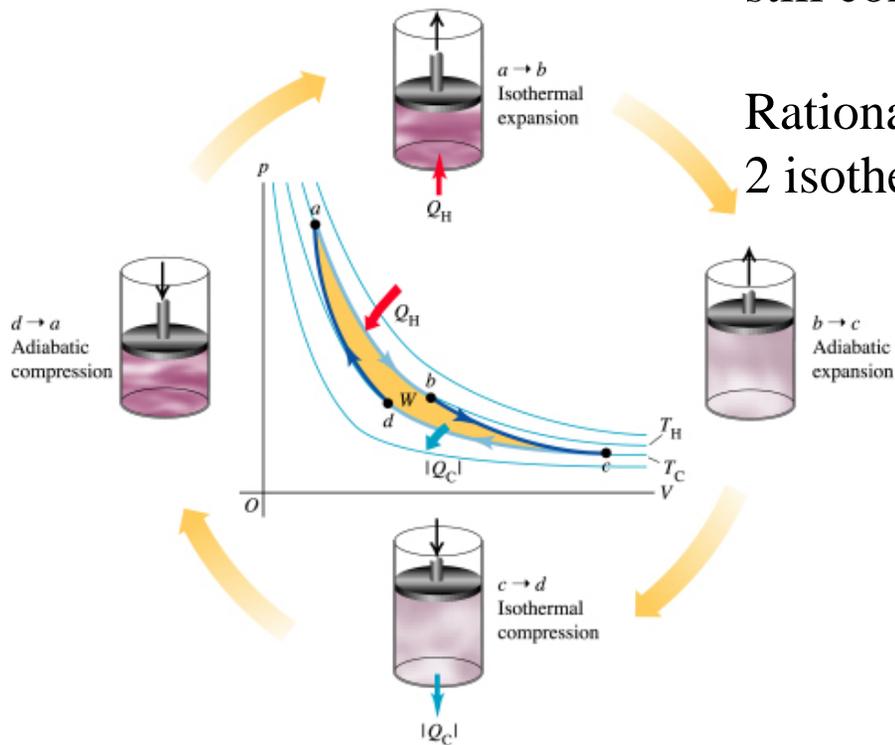
$$Q_C \sim T_C$$

$$e_{Carnot} = 1 - |Q_C/Q_H| = 1 - T_C/T_H$$

(in Kelvin)

Real engine

$$e < e_{Carnot} < 100\%$$



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Example

A nuclear power plant operates at 75% of its Carnot efficiency between 600 C and 350C. If the plant produces electric energy at a rate of 1.3 GW, how much exhaust heat is discharged per hour?

20-7. Entropy

S : a quantitative measure of disorder

For a reversible process

$$dS = \frac{dQ}{T}$$

$$\Delta S = \int_1^2 \frac{dQ}{T}$$

“Entropy statement of the 2nd law of thermodynamics”:

When **all components** taking part in a process are included, the entropy either remains constant or increases.